- 1. A sample of 12 pieces of data is collected, and we wish to perform the **level test** H0 vs. Ha. The population standard deviation is known to be 0.30. The sample mean is used to calculate the data z value of 1.75.
  - a) **Determine the p-value.**
  - b) If the true population mean is 4.2, was an error made in this test? If so, which type?
  - c) If the true population mean is 4.0, was an error made in this test? If so, which type?

- 2. A sample of 15 pieces of data is collected, and we wish to perform the **level test** H0 vs. Ha. The population standard deviation is known to be 0.35. The sample mean is used to calculate the data z value of -2.45.
  - a) Determine the p-value.

- b) If the true population mean is 3.6, was an error made in this test? If so, which type?
- c) If the true population mean is 4.0, was an error made in this test? If so, which type?

- 1. Suppose that we are testing H0:µ=5 vs. Ha:µ≠5 at the 0.05 level, and we are going to collect 12 pieces of data with a known population standard deviation of 0.3.
  - a) Determine the probability of Type II error for the alternative  $\mu=5$ . Probability of Type II error = \_\_\_\_\_
  - b) Determine the probability of Type II error for the alternative  $\mu$ =4.8. Probability of Type II error = \_\_\_\_\_
  - c) Determine the probability of Type II error for the alternative  $\mu$ =6.0. Probability of Type II error = \_\_\_\_\_
- 2. Suppose that we are testing H0: $\mu$ =10 vs. Ha: $\mu$ ≠10 at the 0.01 level, and we are going to collect 15 pieces of data with a known population standard deviation of 0.5.
  - a) Determine the probability of Type II error for the alternative μ=10.4 Probability of Type II error=Probability of Type II error=\_\_\_\_\_
  - b) Determine the probability of Type II error for the alternative  $\mu$ =9.6 Probability of Type II error=Probability of Type II error=
  - c) Determine the probability of Type II error for the alternative μ=11.0 Probability of Type II error=Probability of Type II error=\_\_\_\_\_

- 1. Suppose that we assume the population standard deviation is 0.4, and we are testing H0:µ=3 vs. Ha:µ≠3. We want the following powers (probability of detection):
  - $\circ$  Power ( $\beta$ =0.80) with D=0.4
  - Power ( $\beta$ =0.90) with D=0.5

How much data is needed to satisfy both power requirements?

We would need a sample size of n=50 to meet both power conditions.

- Suppose that we assume the population standard deviation is 0.6, and we are testing H0:µ=8 vs. Ha:µ≠8. We want the following powers (probability of detection):
  - $\circ$  Power ( $\beta$ =0.75) with D=0.5
  - Power ( $\beta$ =0.95) with D=0.7

How much data is needed to satisfy both power requirements?

We would need a sample size of n=45 to meet both power conditions.

- 3. Suppose that we assume the population standard deviation is 0.3, and we are testing H0:µ=7 vs. Ha:µ≠7. We want the following powers (probability of detection):
  - $\circ$  Power ( $\beta$ =0.60) with D=0.3
  - Power ( $\beta$ =0.85) with D=0.5
  - Power ( $\beta$ =0.95) with D=0.7

How much data is needed to satisfy all three power requirements?

We would need a sample size of n=120 to meet all three power conditions.